Probabilistic theories and levels of causality

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Levels of causality

Generic causality: relation between properties, e.g. being exposed to asbestos and developing cancer.

Singular causality: relation between possessions of properties, e.g. Pete's being regularly exposed to asbestos at work and his developing lung cancer.

Question 1 : How do levels of causality relate?

Probabilistic theories of causality

Seminal idea: A cause may be characterized by its making its effects more probable.

Refined idea (roughly): A cause may be characterized by its making its effects more probable once the independent causes of these effects have been taken into account.

Question 2 : Can causality be given a probabilistic analysis (both at the generic level and at the singular level)?

My question

In general: How do answers to question 1 and answers to question 2 relate?

More precisely:

- ▶ 2 basic conceptions : Generalization and the Humean conception (HC).
- one appealing position (P): generic causality, but not singular causality, can be given a probabilistic analysis.

Claim: **P** is not compatible with any of the basic conceptions of the relationship between levels of causality.

The talk

Aim: To show that, assuming HC, singular causality can be given a probabilistic analysis if generic causality can.

Outline:

- focus on a special case that, arguably, is particularly tough for my claim
- 2. construct a general argument.

Last preliminary remark

Assumptions:

- Generic causality between properties as typically possessed by one and the same individual.
- Singular causality between possessions of properties by one and the same individual.

Arguably harmless.

1. Particular case

Presentation of the case

The scenario: Holmes, Moriarty, and Watson.

Status: Very often described as a case involving a singular cause-effect relation that cannot be given a probabilistic analysis.

Claim: this description is untenable under HC + a probabilistic analysis of generic causality.

Question: what does this description presuppose?

A singular cause-effect relation

Assuming HC, this description requires to consider Watson's act as a possession of a property C and Holmes's death as a possession of a property E with C generically causing E.

Natural reading:

C: standing down a cliff from the top of which a boulder is pushed

E: being dead.

Probability-lowering

This description requires that one takes into account

- the fact that the boulder is pushed by a friend of Holmes.
- the presence of an enemy of Holmes at the top of the cliff.

Watson's act has to be considered as a possession of property : C': standing down a cliff from the top of which a boulder

is pushed by a friend

Further analysis

As a possession of *C* by Holmes, Watson's act raises the probability of Holmes's death.

As a possession of C' by Holmes, Watson's act does not cause Holmes's death :

- ► Let:
 - C": standing down a cliff from the top of which an enemy stands near a loose boulder.
- C" is a cause of E that is not caused by C'
- ▶ Hence, under a probabilistic analysis, C' is not a generic cause of E.

Conclusion on the particular case

Watson's act as	singular cause-	probability-lowering
a possession of	effect relation	
С	yes	no
C'	no	yes

Assuming a uniform description (+ HC and a probabilistic theory of generic causality), the case is *not* one of singular causality that cannot be given a probabilistic analysis.

2. General argument

Two coherence requirements

To refer to properties not only when defining the *relata* of singular causality, but also when evaluating the probability of these *relata*.

To tackle the question of the causality / probability relationship for ordered pairs of properties that are *identical* on both sides.

The point

Assuming HC + the coherence requirements, the causality / probability relationship that holds at the generic level also holds at the singular level.

In particular: if generic causes raise the probability of their effects once independent causes have been taken into account, then singular causes do too.

Therefore: if generic causality can be given a probabilistic analysis, then singular causality can too.

Conclusion

Assuming HC, singular causality can be given a probabilistic analysis if generic causality can.

P is not compatible with neither HC, nor Generalization.

Open possibilities:

- giving up P
- developing a sophisticated theory of the relationship between levels of causality.